

# A sustainable market niche for hydrogen in the transport sector ?

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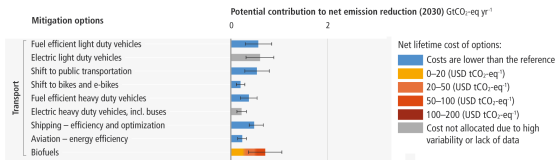
# Introduction

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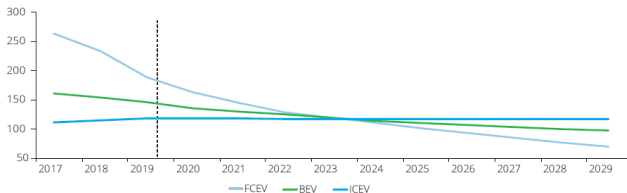
## Context

- Transportation is responsible for 24% of direct CO<sub>2</sub> emissions from fuel combustion in the European Union. Road transport accounts for 18% of these total emissions, and heavy-duty transport for 6% (EU Commission).
- In the road transport sector, a 100% electric and net zero carbon scenario is possible, but involve additional challenges and undesirable side effects (IEA, 2021)
- BloombergNEF (2020) notes the need for a clean molecule for the full decarbonization of the transport sector and emphasizes hydrogen as a good candidate for this role.
- This paper contributes to the economics literature on the role of battery-electric vehicles (BEVs) and fuel cell-electric vehicles (FCEBs) in mobility.

# Introduction



**Figure 1:** Overview of mitigation options in transport and their estimated ranges of costs and potentials in 2030, IPCC 3rd WG 2022



**Figure 2:** Bus TCO outlook in Europe (unit: USD/ per 100km)

## Economic Literature

Regarding the cost-reduction of low-carbon technologies, the economic literature (Grubb and Koehler, 2002) makes the distinction between

- **Technology R&D:** new fuel cells prototype, solid-state batteries, ...
- **Endogenous learning-by-doing** (Arrow, 1964): economies of scale due to the deployment of hydrogen mobility in the European Market
- **Exogenous and autonomous technical change:** Cost reductions thanks to other economic and geographic sectors

Existing economic models on green technologies:

- Competition between a carbon-based technology and a low-carbon technology: Grimaud and Rouge (2008), Creti et. al (2017)
- Competition between two low-carbon technologies: Bramouille and Olson (2002), Andreassen and Rosendahl (2020)

## Research questions addressed in this paper

- **Competition between low-carbon technologies:** Is it better to focus on one technology to maximize learning-by-doing ? Or is it better to develop two technologies on their respective markets ?
- **Optimal deployment of low-carbon technologies:** What are the optimal launching dates for the energy transition in the heavy-duty transport sector? What are the optimal deployment trajectories of low-carbon technologies?
- **Hydrogen strategy for government and business:** Will hydrogen have a sustainable niche in the transport sector? What are the conditions for the emergence of a hydrogen segment in heavy-duty transport ?

# **From one to two green technologies: an economic model**

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## From one to two Technologies: The Economic Model

**Extension of Creti et al. (2017):** Each year  $t$ ,  $N$  vehicles are built, among which  $x_t$  use a low-carbon technology 1 (battery),  $y_t$  use a low-carbon technology 2 (fuel cell), and  $N - x_t - y_t$  use a carbon-based technology (diesel). The marginal cost of diesel vehicles is fixed ( $c_0$ ) but their cost increases with the price of  $\text{CO}_2$ ,  $p_t^{\text{CO}_2} = p_0 e^{rt}$ , with  $r$  the discount rate. The social planner minimises the total discounted cost:

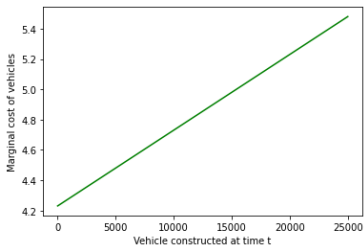
$$\Gamma = \int_0^{+\infty} e^{-rt} \left[ \underbrace{(p_t^{\text{CO}_2} + c_0)(N - x_t - y_t)}_{\text{Diesel vehicle cost}} + \underbrace{C_1(X_t, x_t)}_{\text{BEV costs}} + \underbrace{C_2(Y_t, y_t)}_{\text{FCEV costs}} \right] dt$$

Under the following constraints:

$$\begin{aligned} \dot{X}_t &= x_t & \dot{Y}_t &= y_t \\ X_0 &= 0 & Y_0 &= 0 \\ x_t &\geq 0 & y_t &\geq 0 & x_t + y_t &\leq N \end{aligned}$$

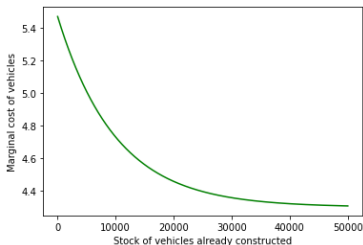


## Cost function of green technologies



### Convexity effect ( $C_{xx} \geq 0$ ):

The more vehicles built at date  $t$ ,  
the higher the marginal cost  
(financing constraints,  
infrastructure, workforce, ...)



### Learning effect ( $C_{xx} \leq 0$ ):

The larger the stock of vehicles  
built, the lower the marginal cost  
(economies of scale,  
industrialization)

## Different phases of optimal transition

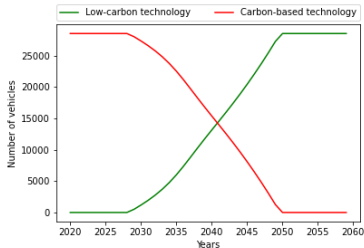
**Proposition 1** Denoting  $(x_t^*, X_t^*)$  and  $(y_t^*, Y_t^*)$  the optimal productions and stocks along the optimal deployment trajectory, there are two dates  $T_{in}$  and  $T_{out}$  such that three deployment phases can be identified:

**Pre-transition phase :** for  $0 \leq t \leq T_{in}$  we have  $x_t^* = 0$  and  $y_t^* = 0$

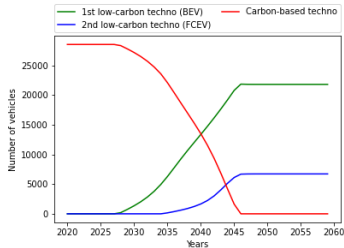
**Transition phase :** for  $T_{in} < t < T_{out}$  we have  $0 < x_t^* + y_t^* < N$

**Post-transition phase :** for  $t \geq T_{out}$  we have  $x_t^* + y_t^* = N$ .

### One low-carbon technology



### Two low-carbon technologies



## Transition phase ( $0 < x_t^* + y_t^* < N$ )

**During the transition phase** ( $Z_t$  and  $z_t$  the stock of knowledge and the instantaneous production of a green technology)

- Between  $T_{in}$  and  $T_{out}$ , if  $z_t > 0$ , it satisfies the following equation

$$\underbrace{[C_{i,z}(Z_t^*, z_t^*) - c_0]}_{\text{Static abatement cost}} = p_t^{CO2} - \underbrace{\int_t^{+\infty} e^{-r(\tau-t)} C_{i,Z}(Z_\tau^*, z_\tau^*) d\tau}_{\text{Learning Benefit}(<0)}$$

and given that the SCC  $p_t^{CO2}$  grows at the discount rate, the trajectory  $z_{t-T_{in}}$  does not depend on  $p_t^{CO2}$ , which extends a result proved in Creti et al. (2017), but the launching dates do.

- The optimal transition trajectory respects the following second order differential equation:

$$C_{i,xx}\ddot{z}_t + C_{i,zz}\dot{z}_t - rC_{i,z} - C_{i,Z} + rc_0 = 0 \text{ for } t > T_{in}$$

## Post-transition phase ( $x_t^* + y_t^* = N$ )

### During the post-transition phase

- If both technologies are used the first order condition is:

$$C_{1,x}(X_t^*, x_t^*) - C_{2,y}(Y_t^*, y_t^*) = \int_t^{+\infty} e^{-r(\tau-t)} [C_{1,x}(X_\tau^*, x_\tau^*) - C_{2,y}(Y_\tau^*, y_\tau^*)] d\tau$$

with  $y_\tau^* = N - x_\tau^*$  and  $Y_\tau^* = Y_{T_{out}} + (\tau - T_{out})N - (X_\tau^* - X_{T_{out}})$

- **The market share of the two technologies evolves.** One green technology may be progressively replaced by the other, and on the long-run either the two technologies coexist (**convexity effect**) or one of the two technologies prevails (**learning effect**).

## Solving a specific case: No cost convexity ( $C_{xx} = 0$ )

**Corresponding non-convex cost function:**  $\bar{c}_i$  (current marginal cost),  $\underline{c}_i$  (marginal cost after maximal learning),  $\lambda_i$  (learning rate)

$$C_i(Z_t, z_t) = [\underline{c}_i + (\bar{c}_i - \underline{c}_i)e^{-\lambda_i Z_t}]z_t$$

**Proposition 2** *In absence of convexity in the cost functions, the optimal strategy is to replace all dirty vehicles instantaneously,  $T_{in} = T_{out}$ , with only one green technology, the other is unused. The technology with the earlier launch date should be selected.*

The discounted cost of the post-transition phase for technology  $i$  is:

$$K_i = \int_0^{+\infty} e^{-rt} C_i(tN, N) dt = \underline{c}_i \frac{N}{r} + (\bar{c}_i - \underline{c}_i) \frac{N}{r + \lambda_i N}$$

The total discounted cost for technology  $i$  is :

$$\Gamma_i^* = p_0^{CO_2} N T_i^* + \frac{N(c_0 + p_0^{CO_2})}{r}, \text{ with } T_i^* = \frac{1}{r} \ln\left(\frac{rK_i}{p_0 N}\right)$$

# **A deployment perspective for BEBs vs FCEBs**

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## Modeling the imperfect substitution of technologies

In practice, one technology can be preferred to another not only for its cost, but also for its use: **imperfect substitution**.

- **Segmented Market:** The total number of buses  $N$  is the sum of  $N_1$  standard battery users and  $N_2$  niche users, with  $N_1 > N_2$ .
- **Main Market  $N_1$ :** let  $C_{BEV}$  and  $C_{FCEV}$  denote the cost of operating one battery and one fuel cell bus in the  $N_1$  segment respectively. By assumption  $C_{BEV} < C_{FCEV}$  when comparing identical trajectories.
- **Niche Market  $N_2$ :** for the  $N_2$  users, the marginal cost of FCEV is  $C_{FCEV}$ , the cost of BEV is  $C_{BEV} + d$  with  $d$  a positive cost penalty for BEV on the niche market. For some values of  $d$ , it may be beneficial to launch FCEV on the niche market.
- **Corresponding non-convex cost function:**

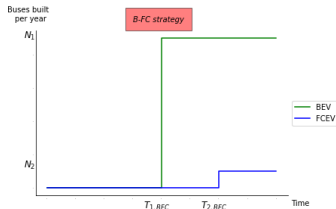
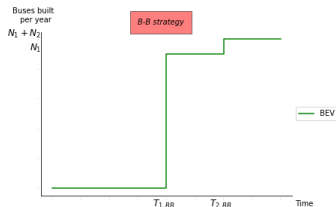
$$C_{BEV}(X_t) = [\underline{C_{BEV}} + (\overline{C_{BEV}} - \underline{C_{BEV}})e^{-\lambda_{BEV}X_t}]$$
$$C_{FCEV}(Y_t) = [\underline{C_{FCEV}} + (\overline{C_{FCEV}} - \underline{C_{FCEV}})e^{-\lambda_{FCEV}Y_t}]$$

## Optimal deployment strategies

If  $d \neq 0$ , there are only two candidate strategies for the optimal deployment of a low-carbon fleet:

**B-B strategy:** Battery is used over the two segments. It is used on  $N_1$  because of its cost advantage and on  $N_2$  in spite of its additional cost  $d$  per vehicle.

**B-FC strategy:** both technologies are used: battery on  $N_1$  and fuel cell on  $N_2$ .





## Calibrated parameters

	BEV	FCEV
Current cost $\bar{c}$ (€/km)	3.8	5
Minimal cost $\underline{c}$ (€/km)	3.4	3.4
Learning rate $\lambda$	0.00001	0.00010
Mean penalty for BEBs on the niche market $d$ (€/km)	0.3	
Cost of diesel vehicles ( $c_0$ ) (€/km)	3.5	
Tank-to-wheels emissions of diesel buses (gCO <sub>2</sub> /km)	820	
Social cost of carbon in 2020 (SCC) (€/tCO <sub>2</sub> )	88	
Social cost of carbon in 2020 per diesel km ( $p_0$ ) (€/km)	0.07	
Social cost of local pollution per diesel km ( $p_{loc}$ ) (€/km)	0.07	
Market size $N$ (volume of vehicles)	28500	
Niche market relative size $\theta$ (% of $N$ )	10 %	
Discount rate $r$	0.045	

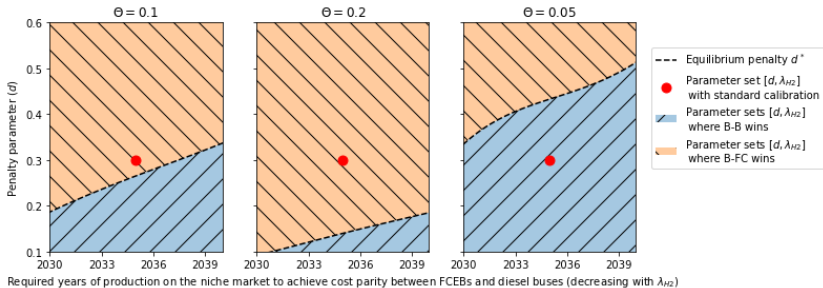
**Figure 3:** Estimated parameters of battery and hydrogen technology in the model (TCO analysis in figure (8))

## Results and sensitivity analysis

Scenario	Winning Strategy	Strategies	Cash cost (BN. €)	CO <sub>2</sub> emission (M. teqCO <sub>2</sub> )	T <sub>1</sub>	T <sub>2</sub>
Baseline	B-FC	B-B	370,9	39,7	0,0	23,2
		B-FC	370,8	19,7	0,0	11,5
<b>Sensitivity on niche market size (baseline <math>\theta = 10\%</math>)</b>						
$\theta = 20\%$	B-FC	B-B	378,5	79	0,0	23,2
		B-FC	373,4	0	0,0	0
$\theta = 5\%$	B-B	B-B	367,0	19,8	0,0	23,2
		B-FC	367,1	26,5	0,0	30,9
<b>Sensitivity on FCEB learning rate (baseline <math>\lambda_{FCEB} = 0.0001</math>)</b>						
$\lambda_{FCEB} = 0.00014$ (cost parity in 2030)	B-FC	B-B	370,9	39,7	0,0	23,2
		B-FC	370,7	0,0	0,0	0,0
$\lambda_{FCEB} = 0.00006$ (cost parity in 2040)	B-B	B-B	370,9	39,7	0,0	23,2
		B-FC	370,9	42,0	0,0	24,6
<b>Sensitivity on penalty for BEBs on long-distance (baseline <math>d = 0.3</math>)</b>						
$d = 0.2$ €/km	B-B	B-B	370,7	15,3	0,0	8,9
		B-FC	370,9	19,7	0,0	11,5
$d = 0.5$ €/km	B-FC	B-B	370,9	66,0	0,0	38,6
		B-FC	370,9	19,7	0,0	11,5
<b>Sensitivity analysis on negative externalities (baseline: <math>p_0 = 0.07</math>)</b>						
adding local pollution	B-FC	B-B	374,0	14,9	0,0	8,5
		B-FC	373,1	0,0	0,0	0,0
(SCC)/ 2	B-FC	B-B	367,7	153,7	0,0	89,9
		B-FC	367,7	133,7	0,0	78,2

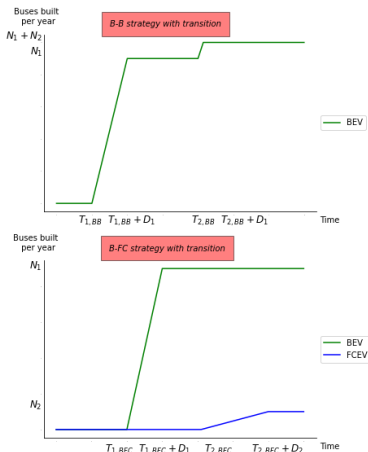
**Figure 4:** Key indicators on B-FC and B-B strategies for the baseline scenario, with sensitivity analysis on model parameters

## Equilibrium penalty $d^*$ and sensitivity analysis

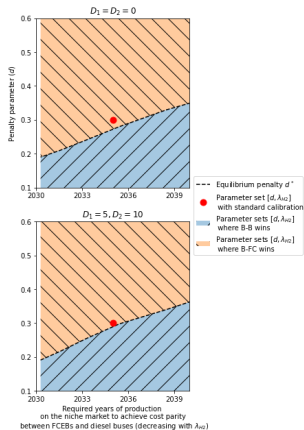


**Figure 5:** Evolution of  $d^*$ , penalty ensuring indifference between both strategies, as a function of the learning rate of the FCEB technology: sensitivity analysis on the niche market size  $\theta = 10\%$ ,  $20\%$ ,  $5\%$

# Equilibrium penalty with exogenous transition duration



**Figure 6:** Fleet deployment strategies with exogenous transition duration, B-B (top) and B-FC (bottom)



**Figure 7:** Sensitivity analysis on  $d^*$ :  $D_1 = 0, D_2 = 0$  and  $D_1 = 5, D_2 = 10$

## Conclusion and extensions

- This paper clarifies the impacts of learning-by-doing, convexity and imperfect substitution on the optimal transition path when several green competing technologies are available to decarbonize a given mobility segment.
- This analysis uses dynamic abatement costs to assess energy transition options in the transport sector.
- Applied to the case of FCEBs and BEBs to decarbonize the European park of diesel buses, hydrogen mobility has a sustainable niche with our baseline parameter values.

### **Extensions:**

- Other competing low-carbon technologies (biofuels, e-fuels)
- Demand for mobility: choice of motorization for consumers
- Impact of environmental externalities on the competition between low carbon technologies

## Annex: Cost calibration

	Diesel Bus	FCEB	BEB
<b>Fixed capital (€/km)</b>	<b>0.3</b>	<b>0.9</b>	<b>0.7</b>
Corresponding purchase price (€)	260 000	650 000	500 000
km/year	50 000	50 000	50 000
life duration (years)	15	15	15
<b>Maintenance (€/km)</b>	<b>0.3</b>	<b>0.4</b>	<b>0.2</b>
<b>Personnel costs (€/km)</b>	<b>2.7</b>	<b>2.7</b>	<b>2.7</b>
<b>Fuel/Charge (no tax) (€/km)</b>	<b>0.2</b>	<b>1.0</b>	<b>0.2</b>
Unit price (€/L, kgH2 or kWh)	0.5	10.0	0.1
Consumption (L, kgH2 or kWh per 100km)	46.0	10.0	150.0
<b>TCO (€/km)</b>	<b>3.5</b>	<b>5.0</b>	<b>3.8</b>

**Figure 8:** TCO analysis of Diesel bus, FCEB, BEB in 2021

- Cost parity of BEB with diesel buses by 2025-2027
- Cost parity of FCEB with diesel buses by 2035